# Vectors

Mr. Nims

## 1 Vector intro

### 1.1 how many directions?

For each of the situations below, would use of a vector(s) or a scalar be more appropriate?

Measuring the height of a building:

Telling a driver the speed limit on a highway:

Determining if you have a fever:

Figuring out if 2 cars will collide:

## 2 The basics of vectors

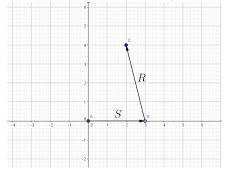
## 2.1 Learning to add

Let  $\vec{A} = -3\hat{x} + 2\hat{y} + \hat{z}$ Let  $\vec{B} = \hat{x} - \hat{y} + \hat{z}$ 

Calculate the following:  $\vec{A} + \vec{B}$  $\vec{A} - 2\vec{B}$ 

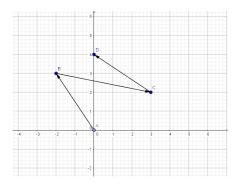
### 2.2 Thinking geometrically

A car travels the full length of vector  $\vec{s}$ , before turning and traveling the full length of vector  $\vec{r}$ . Draw the vector that indicates the displacement of the car.



#### 2.3 Why we should care about geometry

Frank walks the path shown in the diagram below. What is his final displacement? Write your answer as a vector.



If he had instead walked the other direction (started at point D and walked to Point A) what would his displacement have been in that case. Write your answer as a vector (ie  $A\hat{x} + B\hat{y} + C\hat{z}$  where A,B,C are numbers).

What is the length of the vector you wrote? You may leave your answer as  $\sqrt{\text{number}}$ 

#### 2.4 The dot product

A force with a vector given by  $8 N\hat{x} + 8 N\hat{y}$  is applied to an object initially at rest at a position of  $-4 m\hat{y}$ . The object moves to a point  $9 m\hat{x} + 7 m\hat{y}$ . How much work was done on the object?